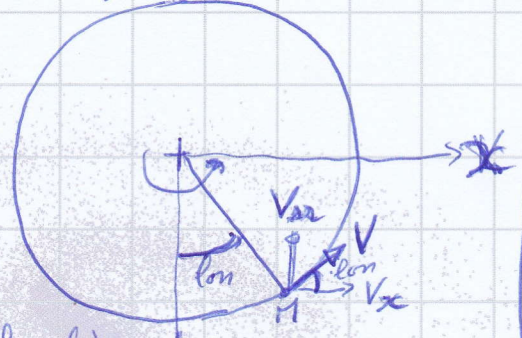




$B\phi = \text{inclined angle}$

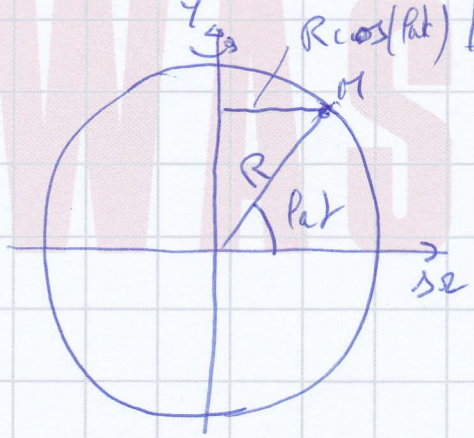
Solar rotation formulae

view from the North pole



$M \left\{ \begin{array}{l} \text{lat} = \text{latitude} = \lambda \\ \text{lon} = \text{longitude} = \phi \\ V = \text{velocity} \end{array} \right.$
 V_{ϕ} = velocity of solar rotation along the line of sight
 Ω = solar rotation
 R = solar radius

$B\phi = 0$

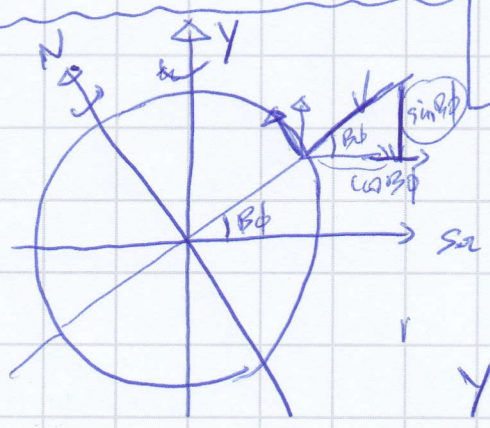


$$V = \Omega R \cos(\text{lat})$$

$$\begin{cases} V_{\alpha} = V \cos(\text{lon}) \\ V_{\phi} = V \sin(\text{lon}) \end{cases}$$

$$\begin{cases} V_{\alpha} = \Omega R \cos(\text{lat}) / \cos(\text{lon}) \\ V_{\phi} = \Omega R \cos(\text{lat}) / \sin(\text{lon}) \end{cases}$$

$B\phi \neq \phi$



$$\begin{cases} V_{\phi} = \Omega R \cos(\text{lat}) \sin(\text{lon}) \cos(B\phi) \\ V_{\alpha} = \text{unchanged} \end{cases}$$

A component parallel to the rotation ~~axis~~ y axis is introduced.

$$V_y = V \sin(\text{lon}) \sin B\phi$$

$$V_y = \Omega R \cos(\text{lat}) \sin(\text{lon}) \sin B\phi$$

reference:

Howard, R; Harvey, J. Rome, 1-6 July 2012
 Solar Physics 12(1970) 23-51